

Scilab Textbook Companion for
Signals And Systems
by A. Nagoorkani¹

Created by
Sridhatta Jayaram Aithal
BACHELOR IN ENGINEERING(E&TC)
Others
A.C.PATIL COLLEGE OF ENGINEERING
College Teacher
None
Cross-Checked by
None

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Book Description

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Scilab numbering policy used in this document and the relation to the above book.

Exa Example (Solved example)

Eqn Equation (Particular equation of the above book)

AP Appendix to Example(Scilab Code that is an Appednix to a particular Example of the above book)

For example, Exa 3.51 means solved example 3.51 of this book. Sec 2.3 means a scilab code whose theory is explained in Section 2.3 of the book.

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Chapter 2

CONTINUOUS TIME SIGNALS AND SYSTEMS

Scilab code Exa 2.1.C To check the signals are periodic or not

```
1 //example 2.1.c
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;
5 y =exp(-(2*i*pi*t)/7);
6 plot(t,y);
7 disp ( 'Plot shows that given signal is periodic
        with periodicity=7' ) ;
```

Scilab code Exa 2.1.D To check the signals are periodic or not

```
1 //example 2.1.d
```

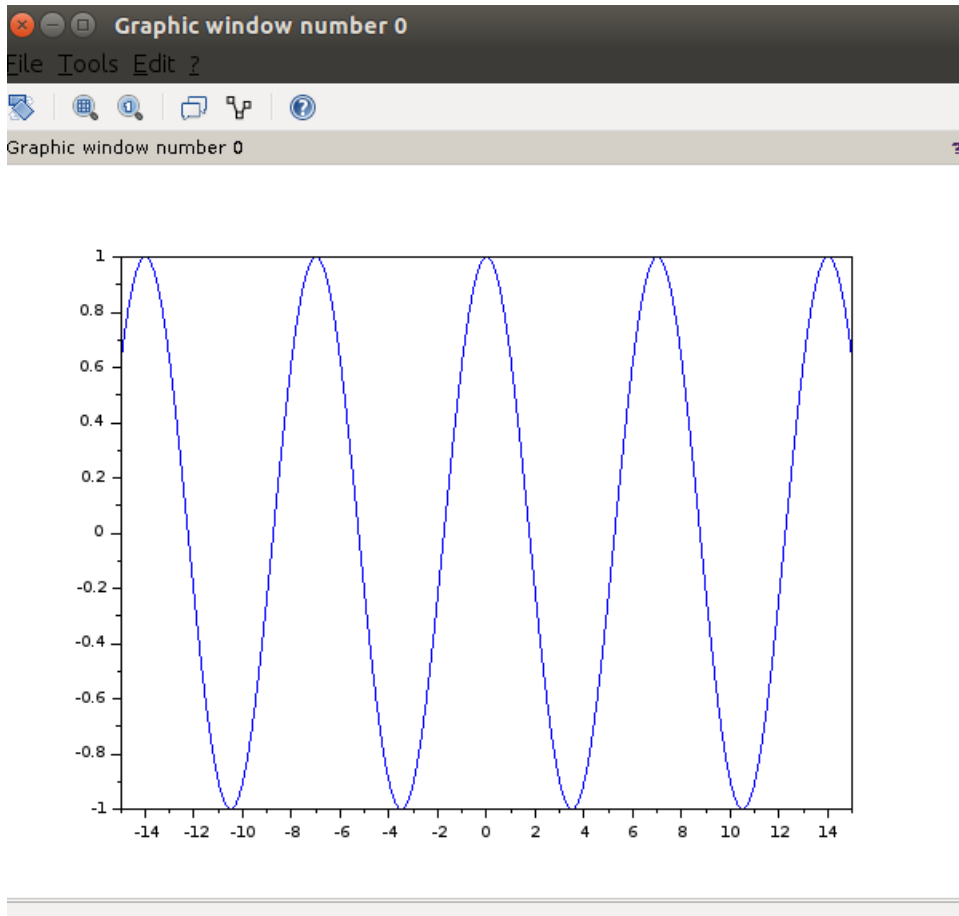


Figure 2.1: To check the signals are periodic or not

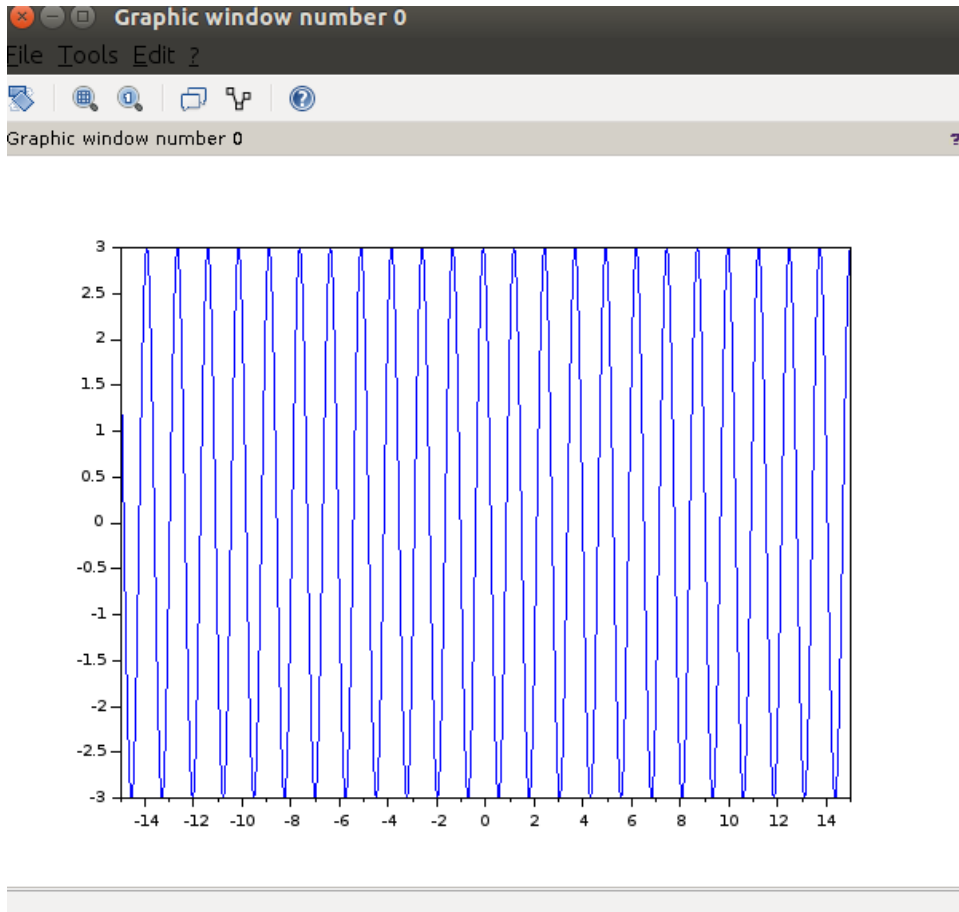


Figure 2.2: To check the signals are periodic or not

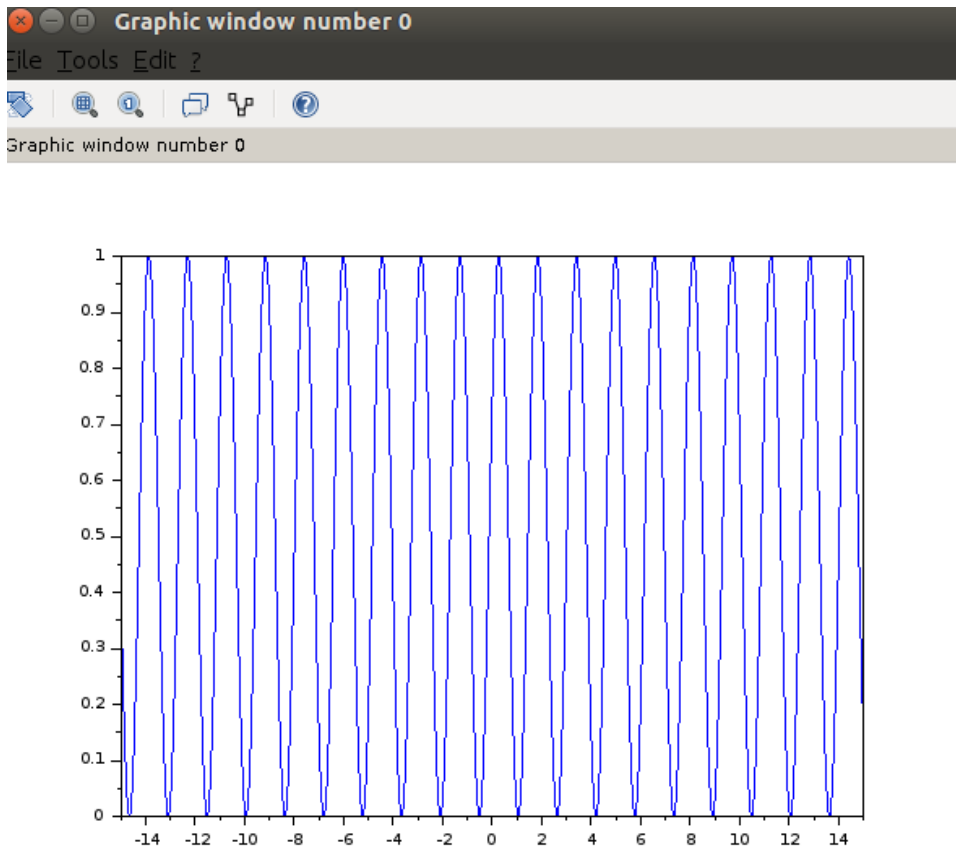


Figure 2.3: To check the signals are periodic or not

```
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;
5 y =3*(cos((5*t)+(%pi/6)));
6 plot(t,y);
7 disp ( 'Plot shows that given signal is periodic
        with periodicity=2%pi/5' ) ;
```

Scilab code Exa 2.1.E To check the signals are periodic or not

```
1 //example 2.1.e
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;
5 y =(1+cos(2*(2*t)-(%pi/3)))/(2);
6 plot(t,y);
7 disp ( 'Plot shows that given signal is periodic
  with periodicity=%pi/2' ) ;
```

Scilab code Exa 2.1.a To check the signals are periodic or not

```
1 //example 2.1.a
2 //check the signal is periodic or not
3 clc ;
4 t = -15:0.01:15;
5 y =2*(cos( t/4 ));
6 plot (t ,y ) ;
7 xtitle('plot of function 2*cos(t/4)')
8 xlabel('time-->')
9 disp ( 'Plot shows that given signal is periodic
  with period T=8%pi' ) ;
```

Scilab code Exa 2.1.b To check the signals are periodic or not

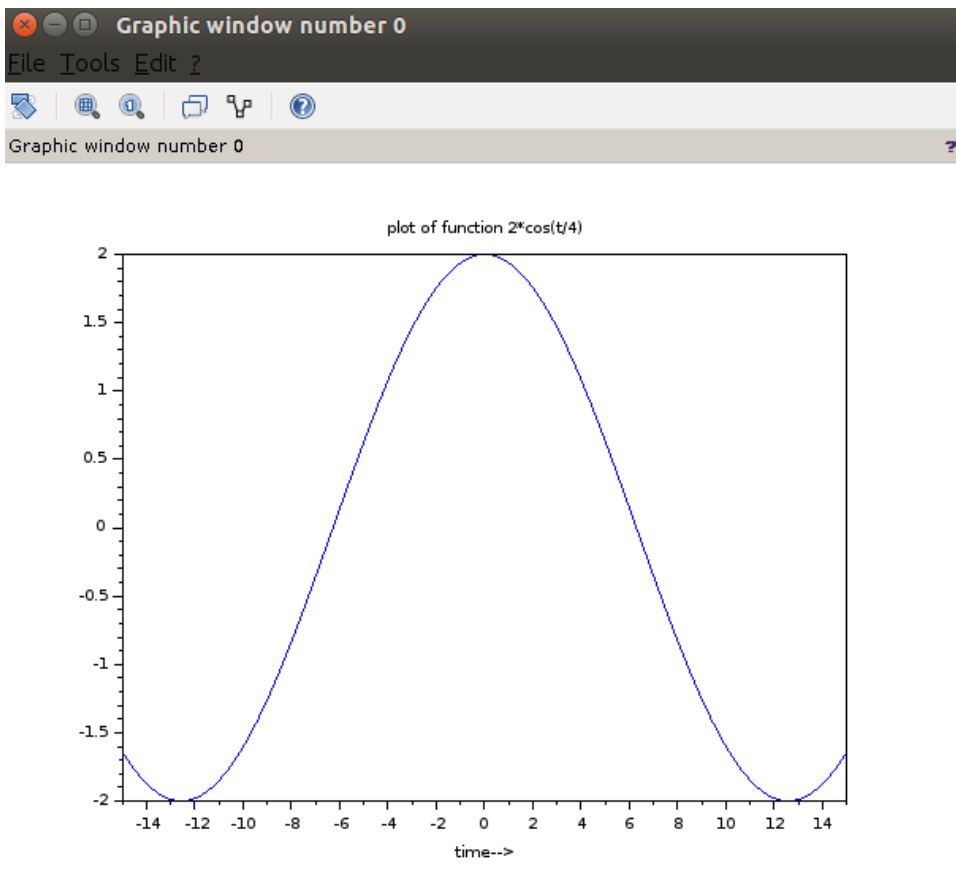


Figure 2.4: To check the signals are periodic or not

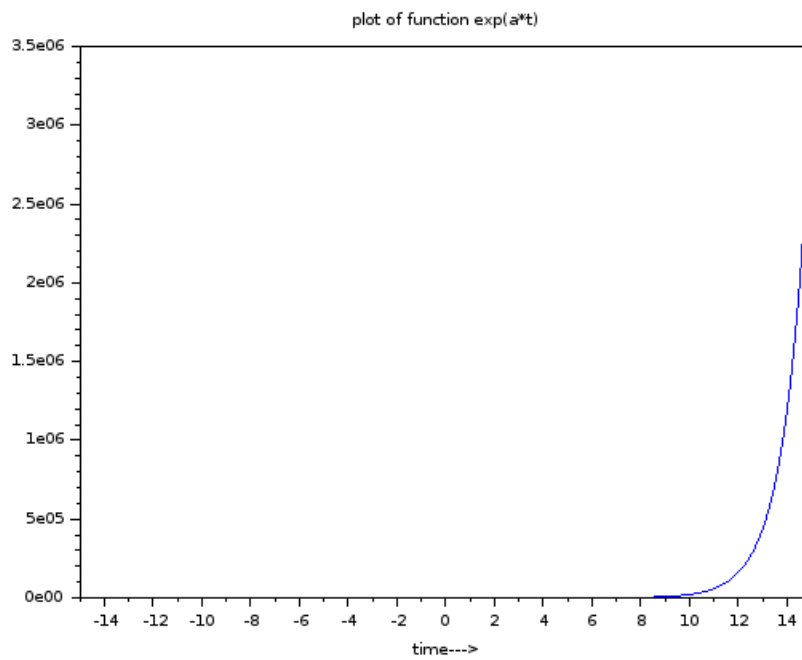
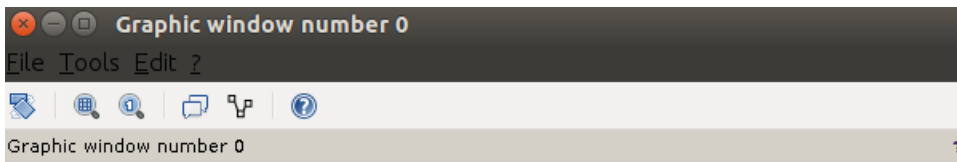


Figure 2.5: To check the signals are periodic or not


```

1 //example 2.1.b
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;
5 a=1;//assumed the value of a to be equal to 1
6 y =exp(a*t);
7 plot(t,y);
8 xtitle('plot of function exp(a*t)')
9 xlabel('time—>')
10 disp ( 'Plot shows that given signal is not
         periodic' ) ;

```

Scilab code Exa 2.2.C To check the signals are periodic or not

```

1 //example 2.2.c
2 //check the signal is periodic or not
3 clc ;
4 t =-6:0.01:6;
5 y =(5*cos(4*pi*t))+(3*sin(8*pi*t));
6 plot(t,y);
7 disp ( 'Plot shows that given signal is periodic
         with periodicity=1/2' ) ;

```

Scilab code Exa 2.2.a To check the signals are periodic or not

```

1 //example 2.2.a
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;

```

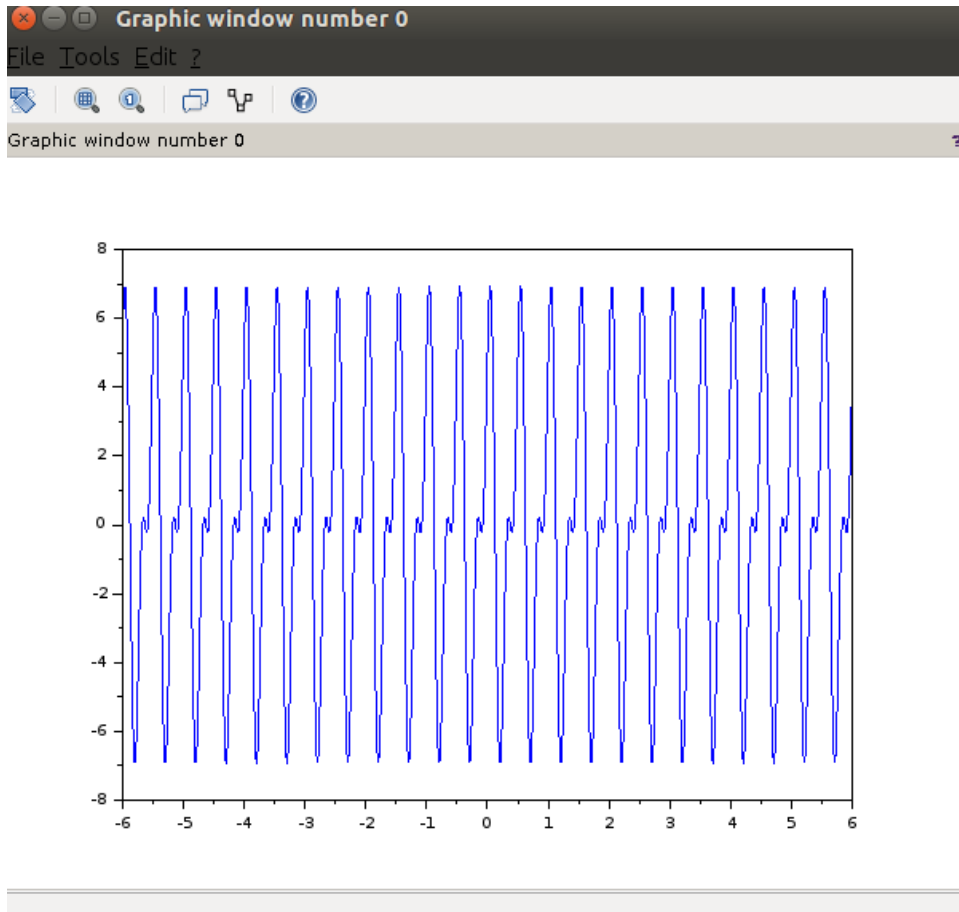


Figure 2.6: To check the signals are periodic or not

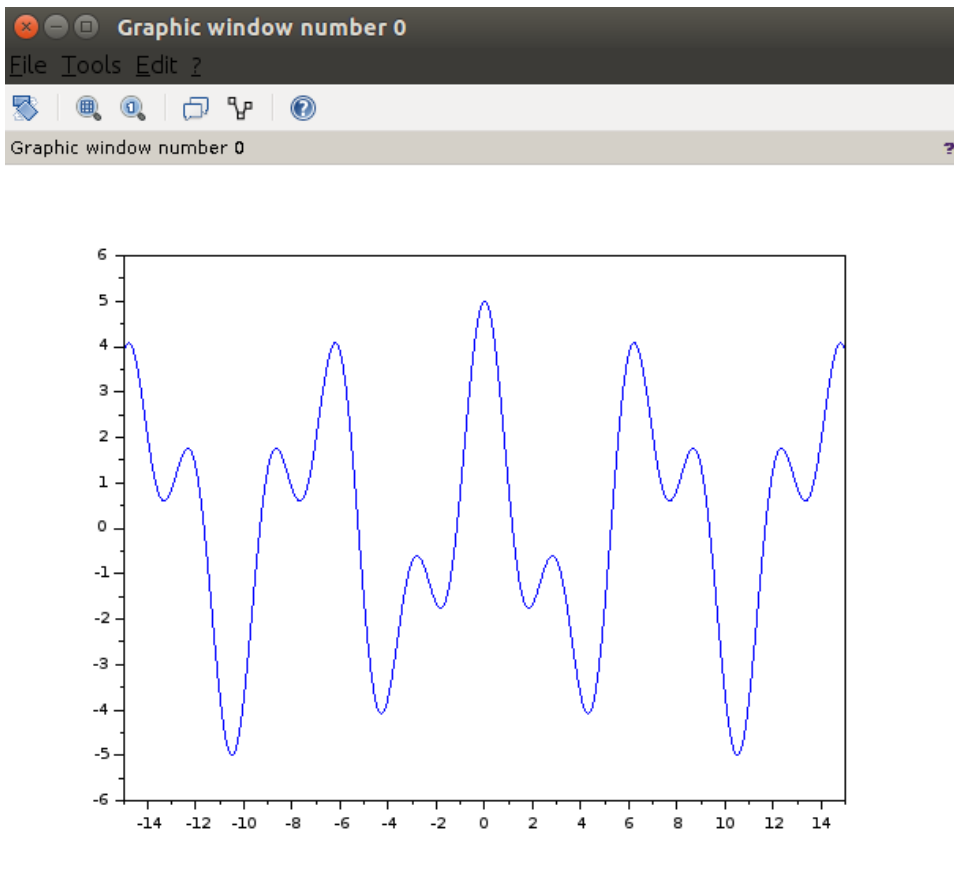


Figure 2.7: To check the signals are periodic or not

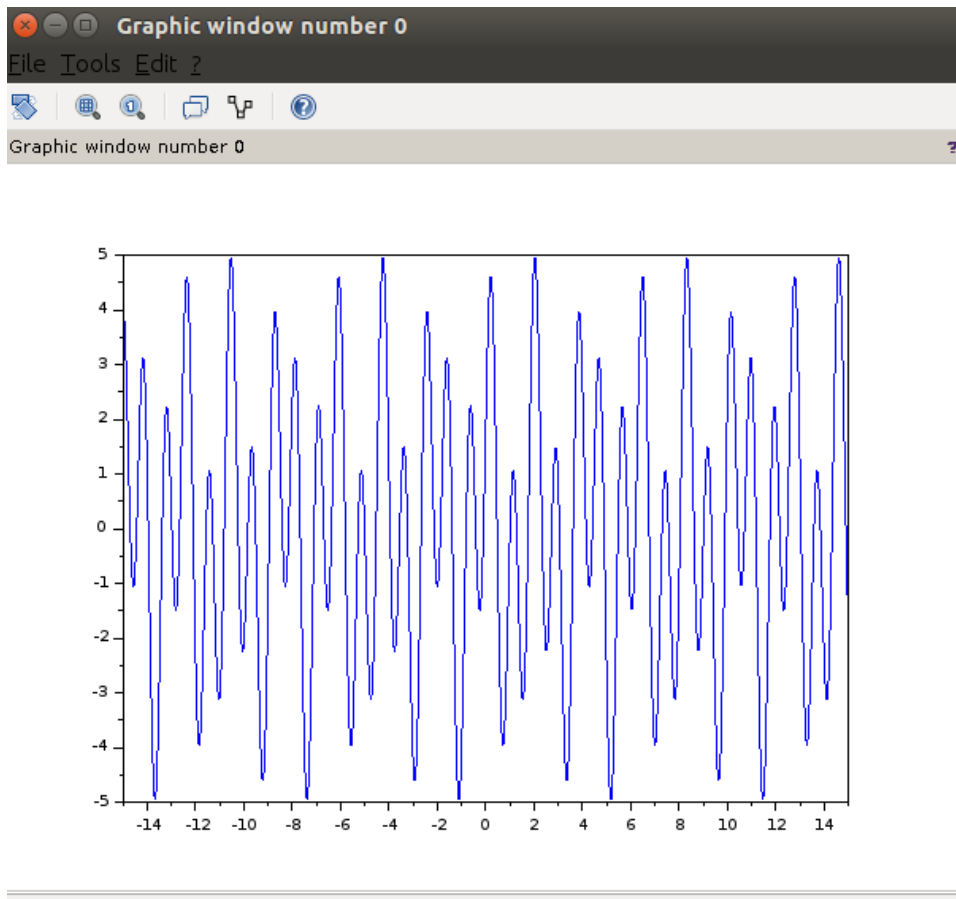


Figure 2.8: To check the signals are periodic or not

```

5 y =(2*cos((2)*(%pi)*t/3))+(3*cos((2)*(%pi)*t/7));
6 plot(t,y);
7 disp('Plot shows that given signal is periodic
with periodicity=21');

```

Scilab code Exa 2.2.b To check the signals are periodic or not

```

1 //example 2.2.b
2 //check the signal is periodic or not
3 clc ;
4 t =-15:0.01:15;
5 y =(2*cos(3*t))+(3*sin(7*t))
6 plot(t,y);
7 disp ( 'Plot shows that given signal is periodic
        with periodicity=2%pi' ) ;

```

Scilab code Exa 2.3.C To determine the even and odd part of the continuous signal

```

1 clc;
2 t=-12:0.01:12
3 x=sin(2*t)+cos(t)+0.5*(sin(3*t)-sin(t))
4 h=-sin(2*t)+cos(t)-0.5*(sin(3*t)-sin(t))
5 e=cos(t)/(x+h)/2
6 o=(x-h)/2//sin(t)+0.5*(sin(3*t)-sin(t))
7 subplot(3,1,1)
8 plot(t,e)
9 xtitle('even signal')
10 subplot(3,1,2)
11 plot(t,o)
12 xtitle('odd signal')

```

Scilab code Exa 2.3.a To determine the even and odd part of the continuous signal

```

1 //ex_2.3.a even and odd signals of x(t)
2 clear;
3 clc;
4 close;
5 t = 0:0.01:5;
6 x=exp(t)
7 figure

```

```

8 a=gca();
9 xtitle('x(t)')
10 plot2d(t,x)
11 figure
12 a=gca();
13 xtitle('even signal')
14 plot2d(t,x/2)
15 t1=-5:1/100:0;
16 plot2d(t1,x($:-1:1)/2)
17 a.y_location='origin'
18 figure
19 a=gca();
20 xtitle('odd signal')
21 plot2d(t,x/2)
22 t1=-5:1/100:0;
23 plot2d(t1,-x($:-1:1)/2)
24 a.y_location='origin'
25 a.x_location='origin'

```

Scilab code Exa 2.3.b To determine the even and odd part of the continuous signal

```

1 //ex_2.3.b even and odd signals of x(t)
2 clear;
3 clc;
4 close;
5 t = 0:0.01:5;
6 x=3+(2*t)+5*((t)^2)
7 figure
8 a=gca();
9 xtitle('x(t)')
10 plot2d(t,x)
11 figure
12 a=gca();
13 xtitle('even signal')
14 plot2d(t,x/2)

```

```

15 t1=-5:1/100:0;
16 plot2d(t1,x($:-1:1)/2)
17 a.y_location='origin'
18 figure
19 a=gca();
20 xtitle('odd signal')
21 plot2d(t,x/2)
22 t1=-5:1/100:0;
23 plot2d(t1,-x($:-1:1)/2)
24 a.y_location='origin'
25 a.x_location='origin'

```

Scilab code Exa 2.4.A To determine the power and energy of the given signal

```

1 //Example 2.4.a
2 //Energy of the signal  $x(t)=(\exp(-2*a*t)).u(t)$ 
3 clc;
4 a=2;
5 E=integrate('exp(-a*t)^(2)', 't', 0, 100) //Energy of
   the given signal
6 disp(E)
7 disp('AS ENERGY OF THE GIVEN SIGNAL IS FINITE HENCE
   THE GIVEN SIGNAL IS ENERGY SIGNAL');

```

Scilab code Exa 2.4.b To determine the even and odd part of the continuous signal

```

1 //Example 2.4.a
2 //Energy of the signal  $x(t)=(\exp(-2*a*t)).u(t)$ 
3 clc;
4 P=integrate('1^(2)', 't', (-100), 100)/(2*100) //power
   of given signal t=100
5 disp(P)

```

```
6 disp('AS POWER OF THE GIVEN SIGNAL IS FINITE HENCE  
THE GIVEN SIGNAL IS POWER SIGNAL');
```

Scilab code Exa 2.4.c To determinit the power and energy of the given signal

```
1 //Example 2.4.c  
2 clc;  
3 a=2;  
4 P=(integrate(' (3*cos(0.1*(%pi)*t))^2 ', 't'  
    , -100, 100)/(2*100))//power of given signal t=100  
5 disp(P)  
6 disp('AS POWER OF THE GIVEN SIGNAL IS FINITE HENCE  
THE GIVEN SIGNAL IS POWER SIGNAL');
```

Scilab code Exa 2.11.a to determine the system is whether time invariant or not

```
1 //Example 2.11.a  
2 //to check the system is time invariant or not  
3 clc ;  
4 t0 =1;  
5 T =10;  
6 for t =1: T  
7 x ( t ) =t;  
8 y ( t ) =(2)*(t)*x(t) ;  
9 end  
10 inputshift = 2*(T)*x (T - t0 );  
11 outputshift = y (T - t0 ) ;  
12 if( inputshift == outputshift )  
13 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' )  
14 else  
15 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;  
16 end
```

Scilab code Exa 2.11.b to determine the system is whether time invariant or not

```
1 //Example 2 . 2 11 b
2 clc ;
3 t0 =1;
4 T =10;
5 for t =1: T
6 x ( t ) =t;
7 y ( t ) =x(t)*sin(20*%pi*t) ;
8 end
9 inputshift = x(T-t0)*sin (20*%pi*(T) ) ;
10 outputshift = y ( T - t0 ) ;
11 if( inputshift == outputshift )
12 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' )
13 else
14 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;
15 end
```

Scilab code Exa 2.12.a to determine the system is whether time invariant or not

```
1 //Example 2 2.12.a
2 clc ;
3 t0 =1;
4 T =10;
5 for t =1: T
6 x ( t ) =t;
7 y ( t ) =(2)*exp(x(t)) ;
8 end
9 inputshift = 2*exp(x ( T - t0))
10 outputshift = y ( T - t0 )
11 if( inputshift == outputshift )
12 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' ) ;
```

```
13 else
14 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;
15 end
```

Scilab code Exa 2.12.b to determine the system is whether time invariant or not

```
1 //Example 2 2.12.b
2 clc ;
3 t0 =1;
4 T =10;
5 c=2;
6 for t =1: T
7 x ( t ) =t;
8 y ( t ) =x(t)+c ;
9 end
10 inputshift = x (T - t0)+c
11 outputshift = y (T - t0 )
12 if( inputshift == outputshift )
13 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' ) ;
14 else
15 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;
16 end
```

Scilab code Exa 2.12.c to determine the system is whether time invariant or not

```
1 //Example 2-12-c
2 clc ;
3 t0 =1;
4 T =10;
5 c=2;
6 for t =1: T
7 x ( t ) =t;
8 y ( t ) =3*(x(t))^ (2);
```

```

9 end
10 inputshift = 3*(x(T - t0))^(2)
11 outputshift = y (T - t0 )
12 if( inputshift == outputshift )
13 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' );
14 else
15 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;
16 end

```

Scilab code Exa 2.13.a to check whether the system is linear or non linear

```

1 //example 2_13_a
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for t = 1:length(x1)
9     x3(t) = a*x1(t)+b*x2(t);
10 end
11 for t = 1:length(x1)
12     y1(t) = t*x1(t);
13     y2(t) = t*x2(t);
14     y3(t) = t*x3(t);
15 end
16 for t = 1:length(y1)
17     z(t) = a*y1(t)+b*y2(t);
18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(t)== z(t))
22         count = count+1;
23     end
24 end

```

```

25 if(count == length(y3))
26     disp('Since It satisfies the superposition
           principle ')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
           superposition principle ')
32     disp('The given system is a Non-Linear system')
33 end

```

Scilab code Exa 2.13.c to check whether the system is linear or non linear

```

1 //EXAMPLE 2.13.C
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for t = 1:length(x1)
9     x3(t) = a*x1(t)+b*x2(t);
10 end
11 for t = 1:length(x1)
12     y1(t) = (x1(t)^2);
13     y2(t) = (x2(t)^2);
14     y3(t) = (x3(t)^2);
15 end
16 for t = 1:length(y1)
17     z(t) = a*y1(t)+b*y2(t);
18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(t)== z(t))

```

```

22     count = count+1;
23 end
24 end
25 if(count == length(y3))
26     disp('Since It satisfies the superposition
           principle')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
           superposition principle')
32     disp('The given system is a Non-Linear system')
33 end

```

Scilab code Exa 2.13.d to check whether the system is linear or non linear

```

1 //EXAMPLE 2.13.D
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 A=2
9 B=3;
10 for n = 1:length(x1)
11     x3(n) = a*x1(n)+b*x2(n);
12 end
13 for n = 1:length(x1)
14     y1(n) = A*x1(n)+B;
15     y2(n) = A*x2(n)+B;
16     y3(n) = A*x3(n)+B;
17 end
18 for n = 1:length(y1)

```

```

19     z(n) = a*y1(n)+b*y2(n);
20 end
21 count = 0;
22 for n =1:length(y1)
23     if(y3(n)== z(n))
24         count = count+1;
25     end
26 end
27 if(count == length(y3))
28     disp('Since It satisfies the superposition
           principle')
29     disp('The given system is a Linear system')
30     y3
31     z
32 else
33     disp('Since It does not satisfy the
           superposition principle')
34     disp('The given system is a Non-Linear system')
35 end

```

Scilab code Exa 2.13.e to check whether the system is linear or non linear

```

1 //EXAMPLE 2.13.e
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for t = 1:length(x1)
9     x3(t) = a*x1(t)+b*x2(t);
10 end
11 for t = 1:length(x1)
12     y1(t) = exp(x1(t));
13     y2(t) = exp(x2(t));

```

```

14   y3(t) = exp(x3(t));
15   end
16   for t = 1:length(y1)
17     z(t) = a*y1(t)+b*y2(t);
18   end
19   count = 0;
20   for n =1:length(y1)
21     if(y3(t)== z(t))
22       count = count+1;
23     end
24   end
25   if(count == length(y3))
26     disp('Since It satisfies the superposition
           principle')
27     disp('The given system is a Linear system')
28     y3
29     z
30   else
31     disp('Since It does not satisfy the
           superposition principle')
32     disp('The given system is a Non-Linear system')
33   end

```

Scilab code Exa 2.17.a to test the stability of the system

```

1 //EXAMPLE 2.17.A
2 clc;
3 x=[1,1,1,1]
4 t=-1:0:1;
5 y(t)=cos(x(t));
6 disp('the max val of cos function is');
7 disp(cos(0));
8 disp('the min val of cos function is');
9 disp(cos(%pi));
10 disp('HENCE THE GIVEN SYSTEM IS BOUNDED IN -1 TO 1')

```

HENCE THE GIVEN SYSTEM IS STABLE');

Scilab code Exa 2.18.a to test the stability of the system

```
1 //Example 2.18.a
2 clc;
3 P=integrate(' (exp(-5*t)) ', 't', 0, 100)
4 E=integrate(' (exp(5*t)) ', 't', -100, 0)
5 disp(P+E)
6 disp('AS THE INTEGRATION PRODUCT IS CONSTANT HENCE
    THE SYSTEM IS STABLE');
```

Scilab code Exa 2.18.c to test the stability of the system

```
1 //Example 2.18.C
2 clc;
3 P=integrate(' (exp(-4*t)) ', 't', 0, 100)
4 disp(P)
5 disp('AS THE INTEGRATION PRODUCT IS CONSTANT HENCE
    THE SYSTEM IS STABLE');
```

Scilab code Exa 2.18.d to test the stability of the system

```
1 //Example 2.18.D
2 clc;
3 P=integrate(' (t*exp(-3*t)) ', 't', 0, 100)
4 disp(P)
5 disp('AS THE INTEGRATION PRODUCT IS CONSTANT HENCE
    THE SYSTEM IS STABLE');
```

Scilab code Exa 2.18.f to test the stability of the system

```
1 //Example 2.18.F
2 clc;
3 P=integrate('exp(-t)*sin(t)', 't', 0, 100)
4 disp(P)
5 disp('AS THE INTEGRATION PRODUCT IS CONSTANT HENCE
      THE SYSTEM IS STABLE');
```

Scilab code Exa 2.20.B to perform convolution of the causal signal

```
1 //EXAMPLE 2.20.B
2 clc;
3 x1=100;
4 x=integrate('exp(-2*t)*exp(-5*t)', 't', 0, x1);
5 disp(x);
6 disp('valid for t>=0');
```

Scilab code Exa 2.20.C to perform convolution of the causal signal

```
1 //EXAMPLE 2.20.C
2 clc;
3 x1=100;
4 x=integrate('t*exp(-5*t)', 't', 0, x1);
5 disp(x);
6 disp('valid for t>=0');
```

Scilab code Exa 2.20.D to perform convolution of the causal signal

```
1 //EXAMPLE 2.20.D
2 clc;
3 x1=100;
4 x=integrate('t*cos(t)', 't', 0, x1);
5 disp(x);
6 disp('valid for t>=0');
```

Scilab code Exa 2.20.a to perform convolution of the causal signal

```
1 //EXAMPLE 2.20.A
2 clc;
3 x1=100;
4 x=integrate('2*1', 't', 0, x1);
5 disp(x);
6 disp('valid for t>=0');
```

Scilab code Exa 2.21.B to determine the unit step response of the impulse response

```
1 //EXAMPLE 2.21.B
2 clc;
3 x1=10;
4 x=integrate('exp((-5)*t)', 't', 0, x1);
5 disp(x)
6 disp('valid for t>=0')
```

Scilab code Exa 2.21.C to determine the unit step response of the impulse response

```
1 //EXAMPLE 2.21.C
```

```
2 clc;  
3 x1=10;  
4 x=integrate('1','t',-2,x1);  
5 disp(x)  
6 disp('valid for t<=2')
```

Scilab code Exa 2.21.D to determine the unit step response of the impulse response

```
1 //EXAMPLE 2.21.D  
2 clc;  
3 x1=10;  
4 x=integrate('1','t',2,x1);  
5 disp(x)  
6 disp('valid for t>=2')
```

Scilab code Exa 2.21.E to determine the unit step response of the impulse response

```
1 //EXAMPLE 2.21.E  
2 clc;  
3 x1=100;  
4 x=integrate('1','t',-2,x1);  
5 y=integrate('1','t',2,x1);  
6 disp(x);  
7 disp('valid for t>=-2 to t<=2');  
8 disp(x+y);  
9 disp('valid for t>=2');
```

Scilab code Exa 2.21.a to determine the unit step response of the impulse response

```
1 //EXAMPLE 2.21.A
```

```
2 clc;
3 x1=100;
4 x=integrate('3*t', 't', 0, x1);
5 disp(x);
6 disp('valid for t>=0');
```

Scilab code Exa 2.22.A TO PERFORM CONVOLUTION

```
1 //EXAMPLE 2.22.A
2 clc;
3 t=0:1:15;
4 t2=0:0.1:15
5 x1=exp((-3)*t2).*(t2>=0);
6 x2=t.*(t>=0);
7 subplot(3,1,1);plot(t2,x1);
8 xlabel('t');ylabel('x1(t)');
9 title('signal x1(t)');
10 subplot(3,1,2);plot(t,x2);
11 xlabel('t');ylabel('x2(t)');
12 title('signal x2(t)');
13 T1=length(x1);
14 T2=length(x2);
15 x3=convol(x1,x2);
16 t1=0:1:T1+T2-2;
17 subplot(3,1,3);plot(t1,x3);
18 xlabel('t');ylabel('x3(t)');
19 title('signal x3(t) =x1(t)*x2(t)');
```

Scilab code Exa 2.22.b TO PERFORM CONVOLUTION

```
1 //EXAMPLE 2.22.B
2 clc;
3 t=0:1:15;
```

```
4 t2=0:0.1:15
5 a=2;
6 x1=exp(-a*t2).*(t2>=0);
7 x2=t.*(t>=0);
8 subplot(3,1,1);plot(t2,x1);
9 xlabel('t');ylabel('x1(t)');
10 title('signal x1(t)');
11 subplot(3,1,2);plot(t,x2);
12 xlabel('t');ylabel('x2(t)');
13 title('signal x2(t)');
14 T1=length(x1);
15 T2=length(x2);
16 x3=convol(x1,x2);
17 t1=0:1:T1+T2-2;
18 subplot(3,1,3);plot(t1,x3);
19 xlabel('t');ylabel('x3(t)');
20 title('signal x3(t) =x1(t)*x2(t)');
```

Chapter 3

LAPLACE TRANSFORM

Scilab code Exa 3.1.A TO PERFORM LAPLACE TRANSFORM

```
1 //Example 3.1.A
2 clc;
3 Syms s t;
4 A=3
5 B=laplace(A,t,s)
6 disp(B)
```

Scilab code Exa 3.1.B TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.1.B
2 clc;
3 Syms s t
4 B=laplace(t,t,s)
5 disp(B)
```

Scilab code Exa 3.1.C TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.1.C
2 clc;
3 Syms s t
4 B=laplace(exp(-3*t),t,s)
5 disp(B)
```

Scilab code Exa 3.1.D TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.1.D
2 clc;
3 Syms s t
4 B=laplace(-exp(-3*t),t,s)
5 disp(B)
```

Scilab code Exa 3.1.E TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.1.E
2 clc;
3 Syms s t;
4 e=laplace(exp(-4*t),t,s)-laplace(exp(4*t),t,s)
5 disp(e)
```

Scilab code Exa 3.2.A TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.2.A
2 clc;
3 Syms s t
4 w=2;
5 B=laplace(sin(w*t),t,s)
6 disp(B)
```

Scilab code Exa 3.2.b TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.2.B
2 clc;
3 Syms s t
4 w=2;
5 B=laplace(cos(w*t),t,s)
6 disp(B)
```

Scilab code Exa 3.2.c TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.2.C
2 clc;
3 Syms s t
4 w=2;
5 B=laplace(cosh(w*t),t,s)
6 disp(B)
```

Scilab code Exa 3.2.d TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.2.D
2 clc;
3 Syms s t
4 w=2;
5 a=5;
6 F=exp(-a*t)*sin(w*t)
7 B=laplace(F,t,s)
8 disp(B)
```

Scilab code Exa 3.2.e TO PERFORM LAPLACE TRANSFORM

```
1 //EXAMPLE 3.2.E
2 clc;
3 Syms s t
4 w=2;
5 a=5;
6 F=exp(-a*t)*cos(w*t)
7 B=laplace(F,t,s)
8 disp(B)
```

Scilab code Exa 3.4 Laplacian Transform of the Given Equation

```
1 //Example 3.4
2 clc;
3 Syms s,x;
4 A=2;
5 B=A*(sin(x)*exp(-s*x))
6 C=integrate(B,x,0,%pi);
7 disp(C)
```

Scilab code Exa 3.7.a TO PERFORM LAPLACE TRANSFORM

```
1 //example 3.7.a
2 clc;
3 Syms s t
4 F=(t^(2)-2*t)*unit_step(t-1)
5 b=laplace(F,t,s)
6 disp(b)
```

Scilab code Exa 3.7.b TO PERFORM LAPLACE TRANSFORM

```
1 //example 3.7.b
2 clc;
3 Syms s t
4 a=5;
5 F=(t-a)*unit_step(t-a)
6 T=laplace(F,t,s)
7 disp(T)
```

Scilab code Exa 3.12 INVERSE LAPLACE TRANSFORM

```
1 //Example 3.12
2 clc;
3 Syms s,t;
4 Z=(2/(s*(s+1)*(s+2)))
5 i=ilt(Z,s,t);
6 disp(i);
```

Scilab code Exa 3.13 INVERSE LAPLACE TRANSFORM

```
1 //Example 3.13
2 clc;
3 Syms s,t;
4 I=2/((s)*(s+1)*(s+2)^(2));
5 i=ilt(I,s,t);
6 disp(i);
```

Scilab code Exa 3.14 INVERSE LAPLACE TRANSFORM

```
1 //Example 3.14
2 clc;
3 Syms s,t;
4 I=1/((s+2)*((s^(2))+s+1));
5 i=ilt(I,s,t);
6 disp(i);
```

Scilab code Exa 3.15 INVERSE LAPLACE TRANSFORM

```
1 //Example 3.15
2 clc;
3 Syms s,t;
4 I=4/((s^(2))*(s^(2)+16));
5 i=ilt(I,s,t);
6 disp(i);
```

Scilab code Exa 3.16.a INVERSE LAPLACE TRANSFORM

```
1 //Example 3.16.A
2 clc;
3 Syms s,t;
4 I=(3*s^(2)+8*s+23)/((s+3)*(s^(2)+2*s+10));
5 i=ilt(I,s,t);
6 disp(i);
```

Scilab code Exa 3.16.b INVERSE LAPLACE TRANSFORM

```
1 //Example 3.16.B
2 clc;
3 Syms s,t;
4 I=(8*(s^(2)))/((s+2)*(s+1)^(3));
5 i=ilt(I,s,t);
6 disp(i);
```

Scilab code Exa 3.22 convolution using laplace transform

```
1 //Example 3.22
2 clc;
3 Syms s t;
4 x=laplace(exp(-2*t)*cos(3*t),t,s);
5 y=laplace(4*sin(3*t),t,s);
6 z=x*y
7 i=ilt(z,s,t);
8 disp(i);
```

Scilab code Exa 3.24.a to determine the transfer function of the system

```
1 //Example 3.24.a
2 clc;
3 Syms s t;
4 x=laplace((2+t)*(exp(-3*t)),t,s);
5 disp(x);
```

Scilab code Exa 3.24.b to determine the transfer function of the system

```

1 //Example 3.24.B
2 clc;
3 Syms s t;
4 x=laplace((t^(2)-exp(-4*t)+exp(-7*t)),t,s);
5 disp(x);

```

Scilab code Exa 3.24.c to determine the transfer function of the system

```

1 //Example 3.24.C
2 clc;
3 Syms s t;
4 x=laplace((1+0.5*exp(-6*t)+0.2*exp(-3*t)),t,s);
5 disp(x);

```

Scilab code Exa 3.25.a to determine the transfer function of the system

```

1 //EXAMPLE 3.25.A
2 clc;
3 Syms s,t;
4 u=laplace(1,t,s)+laplace(exp(-2*t),t,s);
5 F=u*laplace(1,t,s)
6 disp(F);

```

Scilab code Exa 3.25.b to determine the transfer function of the system

```

1 //EXAMPLE 3.25.b
2 clc;
3 Syms s,t;
4 u=laplace((t)^(2),t,s)+laplace(t*exp(-4*t),t,s);
5 F=u*laplace(1,t,s)
6 disp(F);

```

Scilab code Exa 3.25.c to determine the transfer function of the system

```
1 //EXAMPLE 3.25.c
2 clc;
3 Syms s,t;
4 u=laplace(t,t,s)+laplace(sin(t),t,s);
5 F=u*laplace(1,t,s)
6 disp(F);
```

Scilab code Exa 3.26.a to find the impulse response from the transfer function

```
1 //Example 3.26.A
2 clc;
3 Syms s t;
4 F=1/(s^(2)*(s-2));
5 f=ilt(F,s,t);
6 disp(f);
```

Scilab code Exa 3.26.b to find the impulse response from the transfer function

```
1 //Example 3.26.B
2 clc;
3 Syms s t;
4 F=1/(s*(s+1)*(s-2));
5 f=ilt(F,s,t);
6 disp(f);
```

Scilab code Exa 3.26.c to find the impulse response from the transfer function

```
1 //Example 3.26.c
2 clc;
3 Syms s,t;
4 F=1/(s^(2)+s+1);
5 f=ilt(F,s,t);
6 disp(f);
```

Scilab code Exa 3.27.a output response of input and impulse response to the system

```
1 //Example 3.27.A
2 clc;
3 a=2;
4 Syms s t;
5 y=laplace(exp(-a*t),t,s);
6 z=1*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.27.b output response of input and impulse response to the system

```
1 //Example 3.27.B
2 clc;
3 Syms s t;
4 x=laplace(exp(-2*t),t,s);
5 y=laplace(1,t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.28.B to perform convolution of the causal signal

```
1 //Example 3.28.B
2 clc;
3 Syms s t;
4 x=laplace(exp(-2*t),t,s);
5 y=laplace(exp(-5*t),t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.28.C to perform convolution of the causal signal

```
1 //Example 3.28.c
2 clc;
3 Syms s t;
4 x=laplace(t,t,s);
5 y=laplace(exp(-5*t),t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.28.D to perform convolution of the causal signal

```
1 //Example 3.28.D
2 clc;
3 Syms s t;
4 x=laplace(cos(t),t,s);
5 y=laplace(t,t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.28.a to perform convolution of the causal signal

```
1 //Example 3.28.A
2 clc;
3 Syms s t;
4 x=laplace(2,t,s);
5 y=laplace(1,t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.29.A TO PERFORM DECONVOLUTION OPERATION

```
1 //Example 3.29.A
2 clc;
3 Syms s t;
4 x=laplace(2*t,t,s);
5 y=laplace(1,t,s);
6 z=x/y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.29.B TO PERFORM DECONVOLUTION OPERATION

```
1 //Example 3.29.b
2 clc;
3 Syms s t;
4 x=laplace(exp(-2*t),t,s);
5 y=laplace(exp(-5*t),t,s);
```

```
6 z=(1/3)*(x-y);
7 A=laplace(exp(-5*t),t,s);
8 B=z/A
9 f=ilt(B,s,t);
10 disp(f);
```

Scilab code Exa 3.29.C TO PERFORM DECONVOLUTION OPERATION

```
1 //Example 3.29.C
2 clc;
3 Syms s t;
4 x=laplace((1/25)*(exp(-5*t)+5*t-1),t,s);
5 y=laplace(exp(-5*t),t,s);
6 z=x/y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.29.D TO PERFORM DECONVOLUTION OPERATION

```
1 //Example 3.29.d
2 clc;
3 Syms s t;
4 x=laplace(1-cos(t),t,s);
5 y=laplace(t,t,s);
6 z=x/y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.30.A to determine the unit step response of the impulse response

```
1 //Example 3.30.A
2 clc;
3 Syms s t;
4 x=laplace(3*t,t,s);
5 y=laplace(1,t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Scilab code Exa 3.30.B to determine the unit step response of the impulse response

```
1 //Example 3.30.B
2 clc;
3 Syms s t;
4 x=laplace(exp(-5*t),t,s);
5 y=laplace(1,t,s);
6 z=x*y;
7 f=ilt(z,s,t);
8 disp(f);
```

Chapter 4

FOURIER TRANSFORM OF CONTINUOUS TIME SIGNAL

Scilab code Exa 4.13.A Determine the Fourier Transform of Continuous Time Signal

```
1 //Example 4.13.A
2 clc;
3 Syms o,x;
4 A=(1-x^2)/(exp(%i*o*x))
5 Y=integrate(A,x,-1,1)
6 disp(Y)
```

Scilab code Exa 4.13.B Determine the Fourier Transform of Continuous Time Signal

```
1 //Example 4.13.B
2 clc;
3 Syms o,x,a,o1;
4 A=(exp(-a*x)*cos(o1*x))/(exp(%i*o*x))
5 Y=integrate(A,x,-1,1)
6 disp(Y)
```

Scilab code Exa 4.14 Fourier Transform of Rectangular Pulse

```
1 //Example 4.14
2 clc;
3 Syms o,x,T;
4 A=1/(exp(%i*o*x));
5 Y=integrate(A,x,-1,1)
6 disp(Y)
```

Scilab code Exa 4.15 Fourier Transform of Given Equation

```
1 //Example 4.15
2 clc;
3 Syms o,x,T;
4 A=(1+x/2)/(exp(%i*o*x));
5 B=(1-x/2)/(exp(%i*o*x));
6 Y=integrate(A,x,-2,2)
7 L=integrate(B,x,-2,2)
8 Z=Y+L;
9 disp(Z)
```

Chapter 6

DISCRETE TIME SIGNALS AND SYSTEMS

Scilab code Exa 6.4.A To check the signals are periodic or not

```
1 //example 6.4.A
2 //check the signal is periodic or not
3 clc ;
4 n=-15:0.01:15;
5 y =sin((6*(%pi)*n/7)+1);
6 xlabel('n')
7 ylabel('x(n)')
8 plot2d(n,y);
9 disp ( 'Plot shows that given signal is periodic of
        fundamental period=7 samples' ) ;
```

Scilab code Exa 6.4.b To check the signals are periodic or not

```
1 //example 6_4_B
2 //check the signal is periodic or not
3 clc ;
```

```

4 n=-15:0.01:15;
5 y =cos((n/8)-(%pi));
6 xlabel('n')
7 ylabel('x(n)')
8 plot(n,y);
9 disp ( 'Plot shows that given signal is NOT
        periodic ' ) ;

```

Scilab code Exa 6.4.c To check the signals are periodic or not

```

1 //example 6.4.C
2 //check the signal is periodic or not
3 clc ;
4 n=-15:0.01:15;
5 y =(1+cos(2*(%pi)*n/8)/2);
6 xlabel('n')
7 ylabel('x(n)')
8 plot(n,y);
9 disp ( 'Plot shows that given signal is periodic of
        fundamental period=4 samples ' ) ;

```

Scilab code Exa 6.4.d To check the signals are periodic or not

```

1 //example 6.4.d
2 //check the signal is periodic or not
3 clc ;
4 n=-15:0.01:15;
5 y =(cos(7*%pi*n)+%i*sin(7*%pi*n));
6 xlabel('n')
7 ylabel('x(n)')
8 plot(n,y);
9 disp ( 'Plot shows that given signal is periodic of
        fundamental period=2 samples ' ) ;

```

Scilab code Exa 6.5.a To determine the even and odd part of the signal

```
1 //ex_6.5.a even and odd signals of x(n)
2 clear;
3 clc;
4 close;
5 a=2;
6 n= 0:0.01:5;
7 x=a^(n);
8 figure
9 a=gca();
10 xtitle('x(n)')
11 plot2d(n,x)
12 figure
13 a=gca();
14 xtitle('even signal')
15 plot2d(n,x/2)
16 t1=-5:1/100:0;
17 plot2d(t1,x($:-1:1)/2)
18 a.y_location='origin'
19 figure
20 a=gca();
21 xtitle('odd signal')
22 plot2d(n,x/2)
23 t1=-5:1/100:0;
24 plot2d(t1,-x($:-1:1)/2)
25 a.y_location='origin'
26 a.x_location='origin'
```

Scilab code Exa 6.5.b To determine the even and odd part of the signal


```

1 //ex_6.5.b even and odd signals of x(n)
2 clear;
3 clc;
4 close;
5 n= 0:0.01:5;
6 x=2*exp(%i*((%pi)/3)*n);
7 figure
8 a=gca();
9 xtitle('x(n)')
10 plot2d(n,x)
11 figure
12 a=gca();
13 xtitle('even signal')
14 plot2d(n,x/2)
15 t1=-5:1/100:0;
16 plot2d(t1,x($:-1:1)/2)
17 a.y_location='origin'
18 figure
19 a=gca();
20 xtitle('odd signal')
21 plot2d(n,x/2)
22 t1=-5:1/100:0;
23 plot2d(t1,-x($:-1:1)/2)
24 a.y_location='origin'
25 a.x_location='origin'

```

Scilab code Exa 6.6.a To determine the power and energy of the given signal

```

1 //ex 6.6.a
2 clc;
3 E=(1/(1-(0.25)^(2)))
4 disp(E);
5 disp('AS THE ENERGY OF THE SIGNAL IS FINITE HENCE
      THE FOLLOWING SIGNAL IS ENERGY SIGNAL');

```

Scilab code Exa 6.6.c To determine the power and energy of the given signal

```
1 //ex 6.6.c
2 clc;
3 N=100 //ASSUMING THE N=100
4 p=(N)/(2*N) //AS LIMIT N TENDS TO INFINITY HENCE THE
   EQUATION
5 disp(p);
6 disp('AS THE POWER OF THE SIGNAL IS FINITE HENCE THE
   FOLLOWING SIGNALIS POWER SIGNAL');
```

Scilab code Exa 6.10.b to determine the system is whether time invariant or not

```
1 //Example 6 . 6 10 b
2 clc ;
3 n0 =1;
4 N =10;
5 for n =1: N
6 x ( n ) =n;
7 y ( n ) =n*x(n);
8 end
9 inputshift = (n)*x(N-n0) ;
10 outputshift = y (N - n0 ) ;
11 if( inputshift == outputshift )
12 disp ( 'THE GIVEN SYSTEM I S TIME INVARIANT ' )
13 else
14 disp ( 'THE GIVEN SYSTEM I S TIME VARIANT ' ) ;
15 end
```

Scilab code Exa 6.12.a to check whether the system is linear or non linear

```
1 //example 6.12.a
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for n = 1:length(x1)
9     x3(n) = a*x1(n)+b*x2(n);
10 end
11 for n = 1:length(x1)
12     y1(n) = n*x1(n);
13     y2(n) = n*x2(n);
14     y3(n) = n*x3(n);
15 end
16 for n = 1:length(y1)
17     z(n) = a*y1(n)+b*y2(n);
18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(n)== z(n))
22         count = count+1;
23     end
24 end
25 if(count == length(y3))
26     disp('Since It satisfies the superposition
27         principle')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
32         superposition principle')
32     disp('The given system is a Non-Linear system')
33 end
```

Scilab code Exa 6.12.c to check whether the system is linear or non linear

```
1 //EXAMPLE 6.12.C
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for n = 1:length(x1)
9     x3(n) = a*x1(n)+b*x2(n);
10 end
11 for n = 1:length(x1)
12     y1(n) = (x1(n)^2);
13     y2(n) = (x2(n)^2);
14     y3(n) = (x3(n)^2);
15 end
16 for n = 1:length(y1)
17     z(n) = a*y1(n)+b*y2(n);
18 end
19 count = 0;
20 for n = 1:length(y1)
21     if(y3(n)== z(n))
22         count = count+1;
23     end
24 end
25 if(count == length(y3))
26     disp('Since It satisfies the superposition
27         principle ')
28     disp('The given system is a Linear system ')
29     y3
30     z
31 else
32     disp('Since It does not satisfy the
```

```

        superposition principle')
32     disp('The given system is a Non-Linear system')
33 end

```

Scilab code Exa 6.12.d to check whether the system is linear or non linear

```

1 //EXAMPLE 6.12.D
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 A=2
9 B=3;
10 for n = 1:length(x1)
11     x3(n) = a*x1(n)+b*x2(n);
12 end
13 for n = 1:length(x1)
14     y1(n) = A*x1(n)+B;
15     y2(n) = A*x2(n)+B;
16     y3(n) = A*x3(n)+B;
17 end
18 for n = 1:length(y1)
19     z(n) = a*y1(n)+b*y2(n);
20 end
21 count = 0;
22 for n =1:length(y1)
23     if(y3(n)== z(n))
24         count = count+1;
25     end
26 end
27 if(count == length(y3))
28     disp('Since It satisfies the superposition
        principle')

```

```

29     disp('The given system is a Linear system')
30     y3
31     z
32     else
33         disp('Since It does not satisfy the
              superposition principle')
34     disp('The given system is a Non-Linear system')
35 end

```

Scilab code Exa 6.12.e to check whether the system is linear or non linear

```

1 //EXAMPLE 6.12.e
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for n = 1:length(x1)
9     x3(n) = a*x1(n)+b*x2(n);
10 end
11 for n = 1:length(x1)
12     y1(n) = exp(x1(n));
13     y2(n) = exp(x2(n));
14     y3(n) = exp(x3(n));
15 end
16 for n = 1:length(y1)
17     z(n) = a*y1(n)+b*y2(n);
18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(n)== z(n))
22         count = count+1;
23     end
24 end

```

```

25 if(count == length(y3))
26     disp('Since It satisfies the superposition
           principle ')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
           superposition principle ')
32     disp('The given system is a Non-Linear system')
33 end

```

Scilab code Exa 6.13.a to check whether the system is linear or non linear

```

1 //EXAMPLE 6.13.a
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 C=3;
9 for n = 1:length(x1)
10     x3(n) = a*x1(n)+b*x2(n);
11 end
12 for n = 1:length(x1)
13     y1(n) = x1(n)+C;
14     y2(n) = x2(n)+C;
15     y3(n) = x3(n)+C;
16 end
17 for n = 1:length(y1)
18     z(n) = a*y1(n)+b*y2(n);
19 end
20 count = 0;
21 for n =1:length(y1)

```

```

22     if(y3(n)== z(n))
23         count = count+1;
24     end
25 end
26 if(count == length(y3))
27     disp('Since It satisfies the superposition
           principle')
28     disp('The given system is a Linear system')
29     y3
30     z
31 else
32     disp('Since It does not satisfy the
           superposition principle')
33     disp('The given system is a Non-Linear system')
34 end

```

Scilab code Exa 6.13.b to check whether the system is linear or non linear

```

1 //EXAMPLE 6.13.b
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for n = 1:length(x1)
9     x3(n) = a*x1(n)+b*x2(n);
10 end
11 for n = 1:length(x1)
12     y1(n) = a^(x1(n));
13     y2(n) = a^(x2(n));
14     y3(n) = a^(x3(n));
15 end
16 for n = 1:length(y1)
17     z(n) = a*y1(n)+b*y2(n);

```



```

18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(n)== z(n))
22         count = count+1;
23     end
24 end
25 if(count == length(y3))
26     disp('Since It satisfies the superposition
27         principle ')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
32         superposition principle ')
32     disp('The given system is a Non-Linear system')
33 end

```

Scilab code Exa 6.13.c to check whether the system is linear or non linear

```

1 //EXAMPLE 6.13.C
2 clear;
3 clc;
4 x1 = [1,1,1,1];
5 x2 = [2,2,2,2];
6 a = 1;
7 b = 1;
8 for n = 1:length(x1)
9     x3(n) = a*x1(n)+b*x2(n);
10 end
11 for n = 1:length(x1)
12     y1(n) = n*(x1(n))^2;
13     y2(n) = n*(x2(n))^2;
14     y3(n) = n*(x3(n))^2;

```

```

15 end
16 for n = 1:length(y1)
17     z(n) = a*y1(n)+b*y2(n);
18 end
19 count = 0;
20 for n =1:length(y1)
21     if(y3(n)== z(n))
22         count = count+1;
23     end
24 end
25 if(count == length(y3))
26     disp('Since It satisfies the superposition
           principle ')
27     disp('The given system is a Linear system')
28     y3
29     z
30 else
31     disp('Since It does not satisfy the
           superposition principle ')
32     disp('The given system is a Non-Linear system')
33 end

```

Chapter 7

Z TRANSFORM

Scilab code Exa 7.1.A Apply The Z transform

```
1 //Example 7.1.A
2 clc;
3 Y=[3,2,5,7];
4 X=0;
5 Syms z;
6 for i=1:4
7     X=X+Y(i)/z^(i-1)
8 end
9 disp(X,"X(z)=")
```

Scilab code Exa 7.1.B Apply The Z transform

```
1 //Example 7.1.B
2 clc;
3 Y=[6,4,5,3];
4 X=0;
5 Syms z;
6 for i=1:4
```

```
7      X=X+Y(i)/z^(i-4)
8  end
9  disp(X,"X(z)=")
```

Scilab code Exa 7.1.C Apply The Z transform

```
1 //Example 7.1.c
2 clc;
3 Y=[2,4,5,7,3];
4 X=0;
5 Syms z;
6 for i=1:5
7     X=X+Y(i)/z^(i-3)
8 end
9 disp(X,"X(z)=")
```

Scilab code Exa 7.2.A TO PERFORM Z TRANSFORM OPERATION

```
1 //Example 7.2.A
2 clc;
3 Syms z;
4 x=1;
5 X=nusum(x/(z^i),i,0,%inf);
6 disp(X,'X(z)=');
```

Scilab code Exa 7.2.B TO PERFORM Z TRANSFORM OPERATION

```
1 //Example 7.2.B
2 clc;
3 Syms z;
```

```
4 X=nusum((0.5/z)^(i),i,0,%inf);
5 disp(X, 'X(z)=');
```

Scilab code Exa 7.2.c TO PERFORM Z TRANSFORM OPERATION

```
1 //Example 7.2.C
2 clc;
3 Syms z;
4 X=nusum((0.8/z)^(i),i,-(%inf),-1);
5 disp(X, 'X(z)=');
```

Scilab code Exa 7.2.d TO PERFORM Z TRANSFORM OPERATION

```
1 //Example 7.2.D
2 clc;
3 Syms z;
4 X=nusum((0.5/z)^(i),i,0,%inf);
5 D=nusum((0.8/z)^(i),i,-(%inf),-1);
6 disp(D+X, 'X(z)=');
```

Chapter 9

Discrete Fourier Transform and Fast Fourier Transform

Scilab code Exa 9.1 Compute DFT

```
1 //Example 9.1
2 clc;
3 i=0;
4 k0=0;
5 k1=1;
6 k2=2;
7 k3=3;
8 k4=4;
9 k5=5;
10 k6=6;
11 k7=7;
12 X0=0;
13 X1=0;
14 X2=0;
15 X3=0;
16 for i=0:2
17 X0=X0+((1*(exp(-%i*2*%pi*k0*i/4))/3))
18 X1=X1+((1*(exp(-%i*2*%pi*k1*i/4))/3))
19 X2=X2+((1*(exp(-%i*2*%pi*k2*i/4))/3))
```

```

20 X3=X3+((1*(exp(-%i*2*%pi*k3*i/4))/3))
21 end
22 disp('For N=4 points:')
23 disp('X(K)=')
24 disp(X3,X2,X1,X0)
25 x1=[X0,X1,X2,X3]
26 x2=(real(x1).^2+imag(x1).^2).^(1/2)
27 disp('Magnitude:')
28 disp(x2)
29 x3=atan(imag(x1),real(x1))
30 disp('Phase:')
31 disp(x3)
32 X0=0;
33 X1=0;
34 X2=0;
35 X3=0;
36 X4=0;
37 X5=0;
38 X6=0;
39 X7=0;
40 disp('For N=8 points:')
41 disp('X(K)=')
42 for i=0:2
43 X0=X0+((1*(exp(-%i*2*%pi*k0*i/8))/3))
44 X1=X1+((1*(exp(-%i*2*%pi*k1*i/8))/3))
45 X2=X2+((1*(exp(-%i*2*%pi*k2*i/8))/3))
46 X3=X3+((1*(exp(-%i*2*%pi*k3*i/8))/3))
47 X4=X4+((1*(exp(-%i*2*%pi*k4*i/8))/3))
48 X5=X5+((1*(exp(-%i*2*%pi*k5*i/8))/3))
49 X6=X6+((1*(exp(-%i*2*%pi*k6*i/8))/3))
50 X7=X7+((1*(exp(-%i*2*%pi*k7*i/8))/3))
51 end
52 disp(X7,X6,X5,X4,X3,X2,X1,X0)
53 x1=[X0,X1,X2,X3,X4,X5,X6,X7]
54 x2=(real(x1).^2+imag(x1).^2).^(1/2)
55 disp('Magnitude:')
56 disp(x2)
57 x3=atan(imag(x1),real(x1))

```

```
58 disp('Phase: ')
59 disp(x3)
```

Scilab code Exa 9.2 Compute DFT

```
1 //Example 9.2
2 clc;
3 x0=[0,1,2,3]
4 x1=fft(x0);
5 disp('X(K)=')
6 disp(x1);
7 x2=(real(x1).^2+imag(x1).^2).^(1/2)
8 disp('Magnitude: ')
9 disp(x2)
10 x3=atan(imag(x1),real(x1))
11 disp('Phase: ')
12 disp(x3)
```

Scilab code Exa 9.3 Compute Circular Convolution using DFT

```
1 //Example 9.3
2 clc;
3 x0=[2,1,2,1]
4 x1=fft(x0);
5 disp('X1(K)=')
6 disp(x1);
7 x2=[1,2,3,4]
8 x3=fft(x2)
9 disp('X2(K)=')
10 disp(x3);
11 x4=x1.*x3
12 disp('X1(K)*X2(K)=')
13 disp(x4)
```



```
14 x5=ifft(x4)
15 disp('x1(n)*x2(n)')
16 disp(x5)
```

Scilab code Exa 9.4 Compute Linear Convolution using DFT

```
1 //Example 9.4
2 clc;
3 x0=[1,0.5,0]
4 x1=fft(x0);
5 disp('X1(K)=')
6 disp(x1);
7 h=[0.5,1,0]
8 x2=fft(h)
9 disp('H(K)=')
10 disp(x2);
11 x3=x1.*x2
12 disp('X1(K)*H(K)=')
13 disp(x3)
14 x4=ifft(x3)
15 disp('x1(n)*x2(n)')
16 disp(x4)
```

Scilab code Exa 9.5 Compute DFT

```
1 //Example 9.5
2 clc;
3 x0=[2,2,2,2,1,1,1,1]
4 x1=fft(x0);
5 disp('X(K)=')
6 disp(x1);
7 x2=(real(x1).^2+imag(x1).^2).^(1/2)
8 disp('Magnitude:')
```

```
9 disp(x2)
10 x3=atan(imag(x1),real(x1))
11 disp('Phase:')
12 disp(x3)
```

Scilab code Exa 9.6 Compute Impulse Response using DFT

```
1 //Example 9.6
2 clc;
3 x0=[1,1,1,0]
4 x1=fft(x0);
5 disp('X1(K)=')
6 disp(x1);
7 h=[-1,-1,0,0]
8 x2=fft(h)
9 disp('H(K)=')
10 disp(x2);
11 x3=x1.*x2
12 disp('X1(K)*H(K)=')
13 disp(x3)
14 x4=ifft(x3)
15 disp('x1(n)*x2(n)')
16 disp(x4)
```

Scilab code Exa 9.7 Compute Impulse Response using DFT

```
1 //Example 9.7
2 clc;
3 x0=[-1,1,2,1,-1,0,0,0]
4 x1=fft(x0);
5 disp('X1(K)=')
6 disp(x1);
7 h=[-1,1,-1,1,0,0,0,0]
```

```
8 x2=fft(h)
9 disp('H(K)=')
10 disp(x2);
11 x3=x1.*x2
12 disp('X1(K)*H(K)=')
13 disp(x3)
14 x4=ifft(x3)
15 disp('x1(n)*x2(n)')
16 disp(x4)
```
